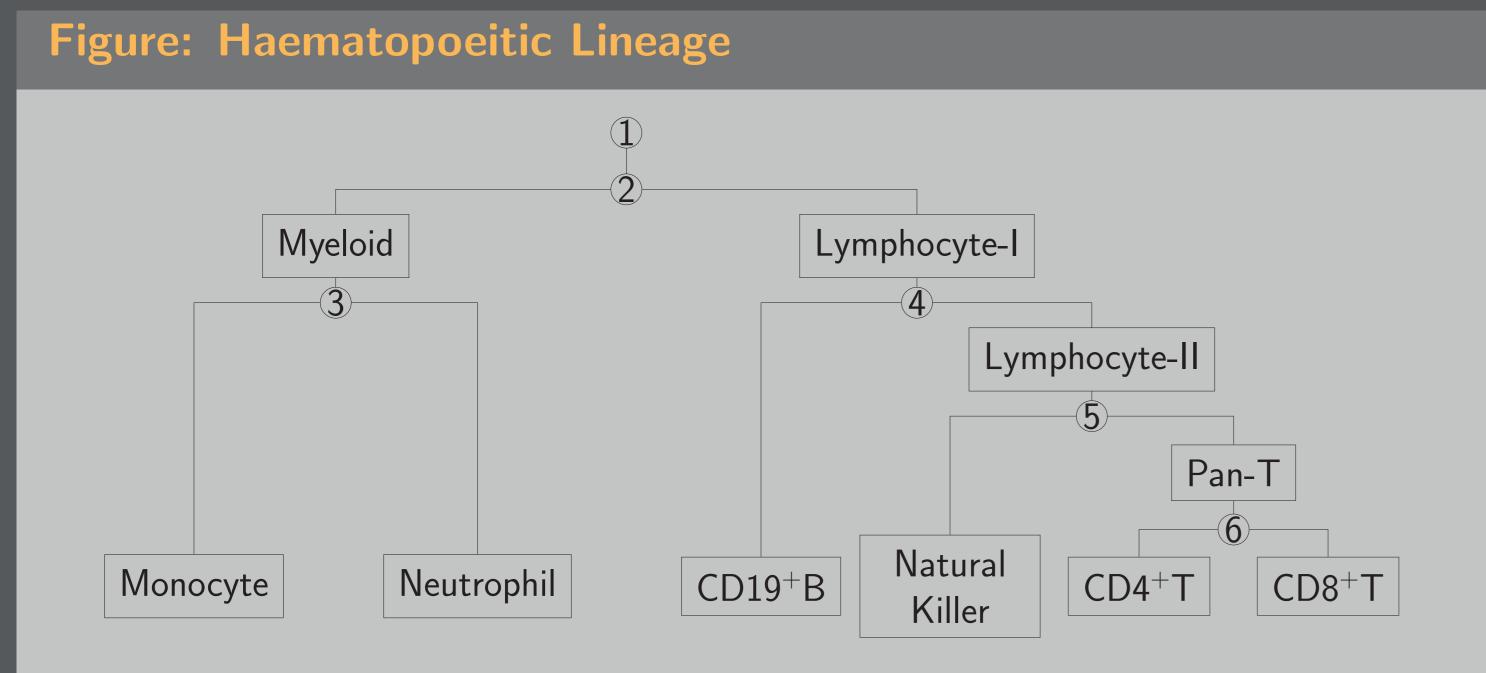
Cell-type specific analysis of heterogeneous methylation signal

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Lineage Matrix:

Method: Inference and Case Study

- Model fitted using numerical optimisation procedure in STAN [1].
- \triangleright Obtained Maximum A Posteriori (MAP) estimates for ϕ parameters and a Hessian matrix estimate.
- \blacktriangleright Laplace approximations to the posterior calculated for each for ϕ_k .
- \blacktriangleright Predicted differential methylation for cell-type k if

 $\Pr(|\phi_k - \phi_k^{MAP}| > \mathbf{0}|Data) < \alpha$

Case study: find differentially methylated loci associated with sex.

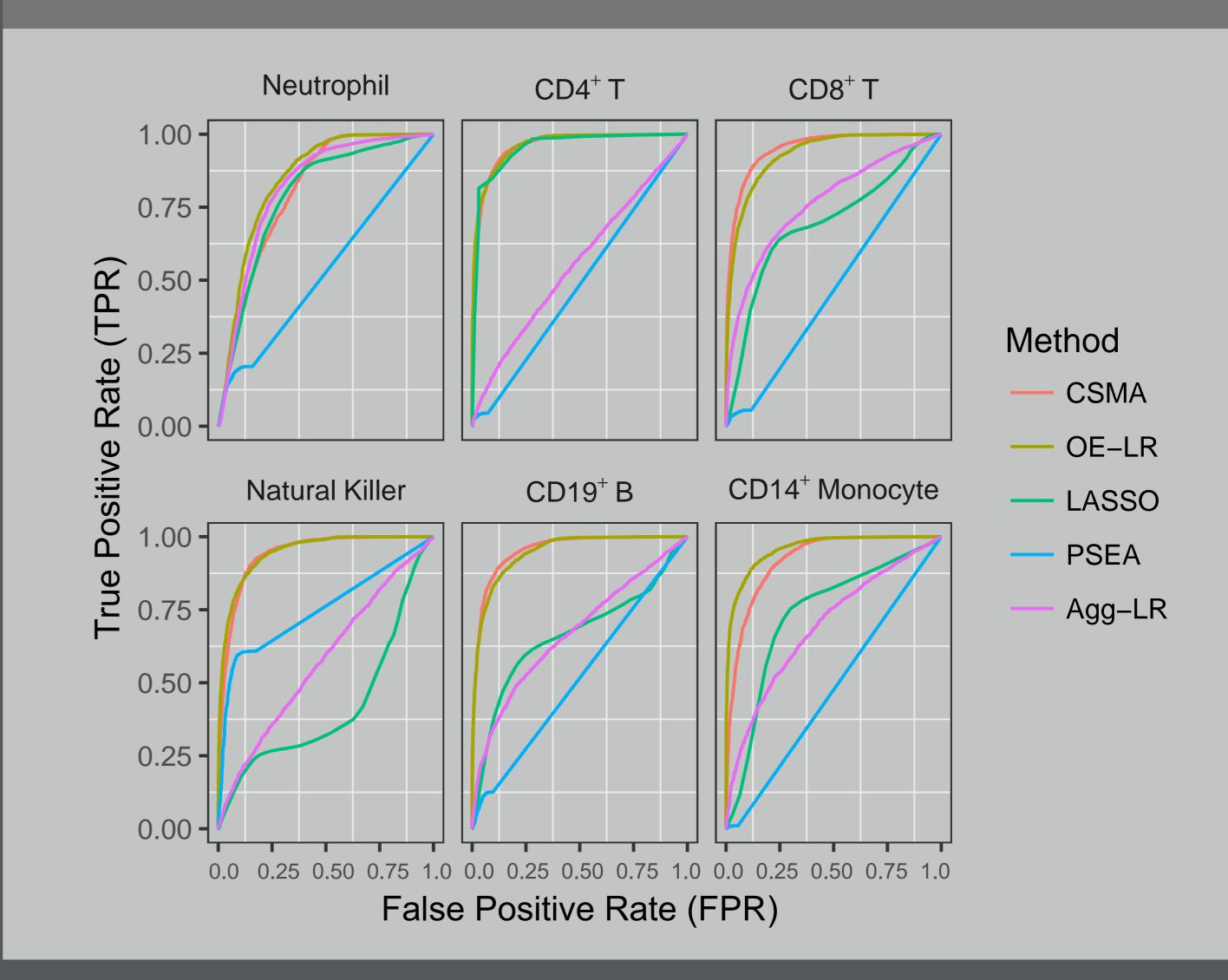
- Data-set contained 5 females and 9 males.
- Cell-sorted data contained ground-truth for comparison with predictions.

Results

$$A = \begin{array}{c} \text{Monocyte} \\ \text{Neutrophil} \\ \text{CD19^+B} \\ \text{Natural Killer} \\ \text{CD4^+T} \\ \text{CD8^+T} \end{array} \begin{pmatrix} 1 & -1/2 & -1/2 & 0 & 0 \\ 1 & -1/2 & +1/2 & 0 & 0 \\ 1 & -1/2 & 0 & 0 \\ 1 & -1/2 & 0 & 0 \\ 1 & -1/2 & 0 & 0 \\ 1 & +1/2 & 0 & -1/2 & 0 \\ 1 & +1/2 & 0 & +1/2 & -1/2 \\ 1 & +1/2 & 0 & +1/2 & +1/2 & -1/2 \\ 1 & +1/2 & 0 & +1/2 & +1/2 & +1/2 \end{array}$$

Introduction

- Methylation arrays from blood are the most common type of epigenetic data collected, and are generally comprised of measurements from >100,000 genomic locations, called *loci*.
- When the methylation level at a locus is different between two sample groups, this is called *differential methylation*.
- Cell-type methylation levels vary, but are known to be related by the haematopoeitic lineage.
- Differential methylation can be cell-type-specific, where only a subset of blood cell-types in the sample are differentially methylated.
- **Objective**: Identify loci with differential methylation for *specific cell-types*



Model

Let y_i be the blood methylation level of sample *i*. Since y_i is constrained to the unit interval, a logit-Normal distribution was used.

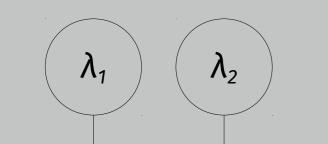
 $\pi(y_i|\mu_i,\rho) = \text{logitNormal}(y_i;\mu_i,\rho),$

Assumption: median of the blood methylation level is a linear combination of constituent cell-type methylation levels $\eta_{i1}, ..., \eta_{iK}$, weighted by the cell-type proportions p_{i1}, \ldots, p_{iK} .

$$\operatorname{logit}^{-1}(\mu_i) = \sum_{k=1}^{K} p_{ik} \eta_{ik}$$

 η_{ik} is parameterised in terms of a baseline θ_k and a shift ϕ_k for each cell-type. $\delta_i \in \{0, 1\}$ represents the binary covariate of interest (e.g. control = 0, case = 1).

Model: Priors



Priors set on lineage-based contrasts: $\theta = A\xi,$

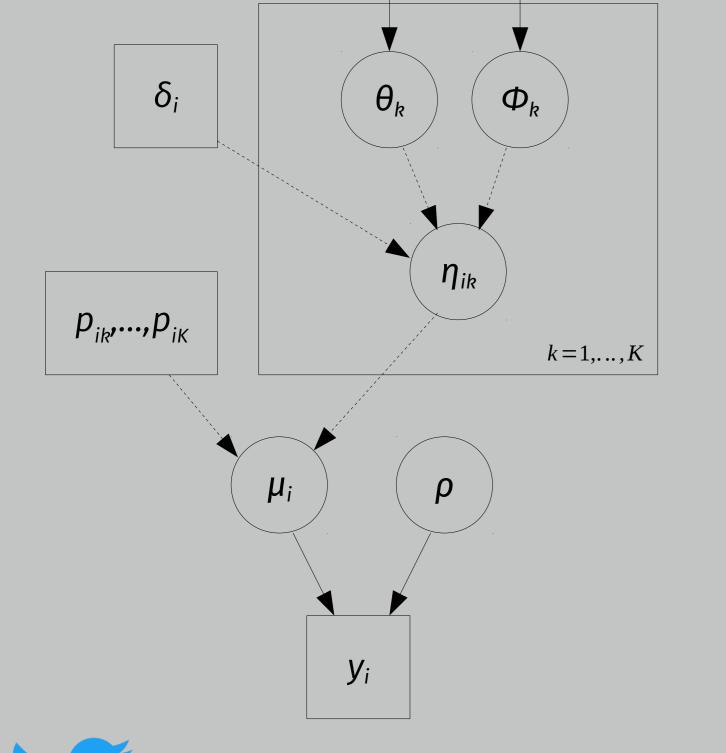
- CSMA method outperformed other methods for CD8⁺T and CD19⁺B.
- OE-LR method outperformed CSMA for the Monocyte and Neutrophil cell-types.
- CSMA tended to detect more differentially methylated loci specific to the given cell-type.
- OE-LR tended to detect differentially methylated loci where all cell-types were differentially methylated.
- ▶ PSEA, Agg-LR, and LASSO methods were sub-optimal.

Conclusions

- CSMA and OE-LR are both useful for finding differentially methylated loci.
- Best method may be to use an *ensemble approach* for finding both cell-type specific and unspecific differentially methylated loci.

Current Work:

- Extending CSMA model to include multiple covariates and different data distributions.
- Reducing potential bias from inaccurate proportion estimates.
- \triangleright Developing empirical Bayes approach for optimal value of λ_0 .



 $\phi = A\zeta$. For $q \in \{2, ..., K\}$: $\pi(\xi_q|\lambda_1) = \operatorname{Normal}(\xi_q; \mathbf{0}, \sqrt{\lambda_1}),$ $\pi(\zeta_q|\lambda_2) = \operatorname{Normal}(\zeta_q; \mathbf{0}, \sqrt{\lambda_2}).$

 $\pi(\lambda_1) = \text{Gamma}(\lambda_1; 1, \lambda_0),$ $\pi(\lambda_2) = \text{Gamma}(\lambda_2; 1, \lambda_0),$ $\pi(\rho) = \text{half-Cauchy}(\rho; 0, 5).$ ξ_1 and ζ_1 are not cell-type related:

> $\pi(\xi_0) = \text{Cauchy}(\xi_0; 0, 10),$ $\pi(\zeta_0) = \text{Cauchy}(\zeta_0; 0, 10).$

References

[1] Stan Development Team. RStan: the R interface to Stan, 2016. R package version 2.14.1.

Acknowledgments

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